NUMERICAL STUDY OF THE INITIAL PRESSURE AND DIAMETERS RATIO EFFECT ON THE JET EJECTOR PERFORMANCE

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ABSTRACT
In this paper, computation fluid dynamics model (CFD) is used to simulate a turbulence flow fields along the jet ejector. A Steady-state 2-D compressible flow model utilizes the standard k-ε turbulent model has been used. The performance of jet ejector is simulated by FLUENT 6.3 (code) and GAMBIT software, using finite-volume scheme to solve transport NAVIER STOKE equations. The objective of this study is to investigate the high-performance of jet ejector geometry (mass flow and head ratio) nozzle to throat diameter at eight cases (Dn/Dt) with different initial pressure. Research is performed to optimize jet performance by varying initial pressure and nozzle diameter ratios from (1/8) to (8/8).

To increase understanding of the axial velocity distribution at an important regions along the ejector, three regions are chosen, at inlet (1,3), nozzle exit (2) and midpoint of throat (4), with an important different diameters ratio cases 1,2,3,5,7 and 8 respectively. The comparison of these results is presented by the axial velocity magnitude, mass and head ratio of the ejector at the above cases.

Results show that higher pressure ratio and mass ratio (high performance) occur when the nozzle to throat diameter ratio (Dn/Dt) was (5/8) and (1/8) respectively. Also mass ratio is decreased at all initial pressure when the diameter ratio increased.

Key word: fluid dynamic, internal flow, turbulence flow, CFD

دراسة عددية لتأثير الضغط الابتدائي ونسبة الاقطار على اداء لافظة هواء

الخلاصة:
تستند الدراسة تحليل نظري للجريان المضطرب على طول مجرى لافظة هواء باستعمال مقدمة ديناميكا الموائع الحاسوبية. اعتبر الجريان بحالة مستقرة وببعدين ولا انضغاط مع استخدام نموذج الضغط (turbulent model k-ε) للفعالية الجزيئية باستخدام نظرية الحجوم المحددة لحل المعادلات التفاضلية الجزئية للتفاعليات الداخلية والمقدمة نموذج غيمبت-فلان (Gambit & Fluent).

تهدف الدراسة لتعين أفضل اداء (نسبة معدل الجريان ونسبة الضغط) للافظة الهواء بتعزيز نسبة الاقطار والضغط الابتدائي ولحنم حالات اختبرت هذا الغرض. لعرض زيادة التحليل تم اختيار ثلاث مستويات على طول اللافة وهم: بداية الدخول (D1) وعند المنتف ونسط (D2) وعند المنتف ونسط (D3) وعند المنتف ونسط (D4) ونسبة اقترار (8,7,5,3,2,1) ونسبة اقترار (8,7,5,3,2,1) للحصول على توزيع السرعة على طول النساط المذكور ومقارنة بين نسب الضغط ونسبة الكتلة الداخلة (ملحوظة السحب) والضغط.

بينت النتائج ان أفضل نسبة الضغط ونسبة الكتلة الداخلة (اداء عالي) عند نسبة اقترار 8/8 على النساط.

كذلك تبين النتائج ان نسبة الكتلة الداخلة تقل عند ارتفاع نسبة الاقطار والضغط وبوصفة مماثلة.
**Symbols**

<table>
<thead>
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<th>Symbol</th>
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<td>nozzle diameter</td>
<td>M</td>
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<td>DT</td>
<td>throat diameter</td>
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<table>
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<td>( \Phi )</td>
<td>dependent variable</td>
<td>-</td>
</tr>
<tr>
<td>( \rho )</td>
<td>density</td>
<td>kg/m³</td>
</tr>
<tr>
<td>( \Gamma \Phi )</td>
<td>effective exchange variable coefficient of ( \Phi )</td>
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<tr>
<td>( \varepsilon )</td>
<td>dissipation rate of turbulent energy</td>
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<td>throat</td>
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<tr>
<td>5</td>
<td>diffuser</td>
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**1-Introduction**

Steam ejectors are designed to convert the pressure energy of a motivating fluid to the velocity energy at entrain suction fluid and then to recompress the mixed fluids by converting velocity energy back into pressure energy. This is based on the theory that a properly designed nozzle followed by a properly designed throat or venturi will economically make use of high pressure fluid to compress from a low pressure region to a higher pressure. This change from pressure head to velocity head is the basis of the jet vacuum principle.

Ejectors are generally categorized into one of four basic types: single-stage, multi-stage non-condensing, multi-stage condensing and multi-stage with both condensing and noncondensing stages.

Single-stage ejectors (shown in figure 1) are the simplest and most commonly used design. They are generally recommended for pressure from atmospheric to 3 inch Hg. Abs. Single-stage units typically discharge at or near atmospheric pressure. Multi-stage non-condensing ejectors are used where lower suction pressures are specified.

Jet ejectors provide numerous advantages, which are summarized below:

1. Jet ejectors do not require extensive maintenance, because there are no moving parts to break or wear.
2. Jet ejectors have lower capital cost comparing to the other devices, due to their simple design.
3. Jet ejectors are easily installed, so they may be placed in inaccessible places without any constant deliberation.

On the other hand, the major disadvantages of jet ejector are:

1. Jet ejectors are designed to perform at a particular optimum point. Deviation from this optimum point can dramatically reduce ejector efficiency.
2. Jet ejectors have very low thermal efficiency.

The applications of jet –ejector were important idea for many researchers as, Shengqiang Shen et al [1]
who studied a gas–liquid ejector and its application to a solar-powered bi-ejector refrigeration system. A new configuration of a bi-ejector refrigeration system is presented. The system incorporates two ejectors. The purpose of one is to suck refrigerant vapour from the evaporator and discharge to the condenser; the other acts as a jet pump to pump liquid refrigerant from the condenser to the generator. An analysis model for the bi-ejector refrigeration system and a one-dimensional flow model for the gas–liquid ejector were established. The performances of the gas–liquid ejector and the refrigeration cycle were studied using numerical modeling. The results show that the performances of ejector and system depends to a great deal on the refrigerants as well as on operation conditions.

Huang et al [2] studied theoretically and experimentally the 1-D ejector performance. A constant-pressure mixing is assumed to occur inside the constant-area section of the ejector and the entrained flow at choking condition is analyzed. They performed experiment using 11 ejectors and R141b as the working fluid to verify the analytical results. Their results show that the 1-D analysis using the empirical coefficients can accurately predict the performance of the ejectors. Mark J. BERGANDER [3] was developed a novel vapor compression cycle for refrigeration with regenerative use of the potential energy of two-phase flow expansion. The new cycle includes a second step compression by an ejector device, which combines the compression with simultaneous throttling of the liquid. The compressor compresses the vapor to approximately 2/3 of the final pressure and additional compression is provided in an ejector, thus the amount of mechanical energy required by a compressor is reduced and the efficiency is increased. The thermodynamic model was developed for R22 refrigerant, showing a possible efficiency improvement of 38% as compared to the traditional vapor compression cycle. Zhang and . Wang [4] designed a new continuous combined solid adsorption–ejector refrigeration and heating hybrid system driven by solar energy. The thermodynamic theory of the system was constructed, and the performance simulation and analysis were made under normal working conditions. Furthermore, under the same working conditions, they made a comparison with an adsorption system without an ejector with a COP of 0.3. Thier results showed that the combined system’s COP was improved by 10% totally and reached 0.33. Kanjanapon Chunnanond and Satha Aphornratana [5] provides a literature review on ejectors and their applications in refrigeration. A number of studies were grouped and discussed in several topics, i.e. background and theory of ejector and jet refrigeration cycle, performance characteristics, working fluid and improvement of jet refrigerator. Moreover, other applications of an ejector in other types of refrigeration system were also described. Hisham El-Dessouky et al [6] developed semi-empirical models for design and rating of steam jet ejectors. The model gave the entrainment ratio as a function of the expansion ratio and the pressures of the entrained vapor, motive steam and compressed vapor. Also, correlations were developed for the motive steam pressure at the nozzle exit as a function of the evaporator and condenser pressures and the area ratios as a function of the entrainment ratio and the steam pressures.

In this research the optimum jet-ejector geometry for each nozzle diameter ratio and motive pressure are investigated, CFD software (Fluent) is used to simulate flow fields in the jet ejector. Steady-state 2-D compressible flow using the standard k-ε turbulent model is utilized to solve the problem. Figure (1) show the graphical form of jet – ejector that will be studied in this research and the specifications of this jet – ejector are shown in table 1.

2-Basic Construction

Ejectors are composed of three basic parts: a nozzle, a mixing chamber and a diffuser as shown in Fig.(1). A high pressure motivating fluid enters at (1), expands through the converging-diverging nozzle to (2). The suction fluid (Mb) enters at (3), mixes with the motivating fluid in the mixing chamber (4). Both Ma and Mb are then recompressed through the diffuser to (5). The direct
entrainment of a low velocity suction fluid by a motive fluid results in an unavoidable loss of kinetic energy owing to impact and turbulence originally possessed by the motive fluid. Many factors affect jet ejector performance, including the fluid molecular weight, feed temperature, mixing tube length, nozzle position, throat dimension, motive velocity, Reynolds number, pressure ratio, and specific heat ratio[6].

Previous research attempted to study the effect of nozzle position on jet ejector performance. They found that the nozzle position had a great effect on the jet ejector performance, as it determines the distance over which the motive and propelled stream are completely mixed. ESDU (1986) suggested that the nozzle should be placed between 0.5 and 1.0 length of throat diameter before the entrance of the throat section. Holton (1951) studied the effect of fluid molecular weight, whereas Holton and Schultz (1951) studied the effect of fluid temperature. Several literature researches have studied the effect of nozzle diameter on jet ejector performance. This is a major focus of our work. The optimum length and diameter of the throat section, the nozzle position, and the radius of the inlet curvature before a convergence section in a constant-area jet ejector design are investigated for each individual nozzle diameter. The nozzle diameter ratio, defined by $DN/DT$, is varied from $\frac{1}{8}$ to $\frac{8}{8}$. The pressure of motive fluid at nozzle exit is varied from (1 bar) to (5.5 bar).

The back pressure of the ejector is maintained constant at 101.3 kPa. Air is used as a working fluid. Once the geometry of the jet ejector is created, a grid can be mapped to it. This step is completed by grid-generating software (GAMBIT). To account for turbulent behavior, the standard $k$-$\varepsilon$ model is selected. The ideal gas law is applied to calculate flow variables in the turbulent model. The wall boundary conditions are assumed to be adiabatic with no heat flux.

In this research, the optimum jet-ejector geometry for each nozzle diameter ratio and motive pressure were investigated using Fluent computational fluid dynamic (CFD) software. Fluent uses a mass-average segregated solver to solve the fundamental transport equations such as continuity, and momentum conservation for compressible, Newtonian fluid (Navier-Stokes equation). The governing equations are discretized in space using a finite volume differencing formulation, based upon an unstructured grid system.

3-Theoretical analysis:

In this paper, CFD software (FLUENT) is used to simulate flow field through the jet ejector. Steady state 2D compressible flow and using the standard $k$-$\varepsilon$ turbulent model to solve the turbulent flow. Fig.(1) show the graphical form of jet –ejector that will be studied in this research and the specifications of this jet – ejector are shown in table 1.

The total kinetic energy before mixing is the sum of the kinetic energy between the motive and propelled stream. The kinetic energy of motive stream is:

$$E = \frac{1}{2}mv^2$$

and the continuity equations can be written as :

$$m = m_1 + m_3$$

The velocity of the mixture stream is computed by momentum conservation. Because of finite computational resources and the flow behavior in jet ejectors, the standard $k$-$\varepsilon$ model is the best compared to other schemes, so the standard $k$-$\varepsilon$ model is applied throughout the study.

Assuming that the gas is compressible and viscous fluid, the conservation equations of its mass, momentum and energy can be written as[5]:

$$\frac{\partial}{\partial t} \left( \rho \mathbf{u} \right) + \nabla \cdot \left( \rho \mathbf{u} \mathbf{u} \right) = -\nabla P + \nabla \cdot \left( \mu \nabla \mathbf{u} \right) + \mathbf{F}$$
\[ \frac{\partial}{\partial t} (\rho \phi) + \frac{\partial}{\partial x} \left( \rho u_i \phi - \Gamma_{\phi} \frac{\partial \phi}{\partial x} \right) + \frac{\partial}{\partial y} \left( \rho v_j \phi - \Gamma_{\phi} \frac{\partial \phi}{\partial y} \right) + \frac{\partial}{\partial z} \left( \rho w_k \phi - \Gamma_{\phi} \frac{\partial \phi}{\partial z} \right) = S_\phi \]

\[ \frac{\partial}{\partial t} \left( \rho \frac{k}{\rho} \right) + \frac{\partial}{\partial x} \left( \rho u_i \frac{k}{\rho} \right) + \frac{\partial}{\partial y} \left( \rho v_j \frac{k}{\rho} \right) + \frac{\partial}{\partial z} \left( \rho w_k \frac{k}{\rho} \right) = \frac{\partial}{\partial x} \left( \Gamma_{\mu} \frac{\partial \frac{k}{\rho}}{\partial x} \right) + \frac{\partial}{\partial y} \left( \Gamma_{\mu} \frac{\partial \frac{k}{\rho}}{\partial y} \right) + \frac{\partial}{\partial z} \left( \Gamma_{\mu} \frac{\partial \frac{k}{\rho}}{\partial z} \right) - \frac{\partial}{\partial x} \left( \rho u_i \frac{e}{\rho} \right) - \frac{\partial}{\partial y} \left( \rho v_j \frac{e}{\rho} \right) - \frac{\partial}{\partial z} \left( \rho w_k \frac{e}{\rho} \right) + \rho P_i - \rho P_j - \rho P_k + \rho F_i - \rho F_j - \rho F_k \]

where: \( \phi \) = dependent variable (velocity components, temperature, both kinetic and dissipation energies). \( \Gamma_{\phi} \) = effective exchange variable coefficient of \( \phi \). \( S_\phi \) = source term with \( \Gamma_{\phi} \). \( \rho \) is the density, \( u_i \), \( v_j \), and \( w_k \) are the velocity components, \( k \) and \( e \) are the turbulent kinetic energy, \( k \), and its dissipation rate, \( e \). The model assumes that the effects of molecular viscosity are negligible and the flow is fully turbulent.

The turbulence kinetic energy, \( k \), and its dissipation rate, \( e \), are calculated from:

\[ \frac{\partial}{\partial t} \left( \rho \frac{k}{\rho} \right) + \frac{\partial}{\partial x} \left( \rho u_i \frac{k}{\rho} \right) + \frac{\partial}{\partial y} \left( \rho v_j \frac{k}{\rho} \right) + \frac{\partial}{\partial z} \left( \rho w_k \frac{k}{\rho} \right) = \frac{\partial}{\partial x} \left( \Gamma_{\mu} \frac{\partial \frac{k}{\rho}}{\partial x} \right) + \frac{\partial}{\partial y} \left( \Gamma_{\mu} \frac{\partial \frac{k}{\rho}}{\partial y} \right) + \frac{\partial}{\partial z} \left( \Gamma_{\mu} \frac{\partial \frac{k}{\rho}}{\partial z} \right) - \frac{\partial}{\partial x} \left( \rho u_i \frac{e}{\rho} \right) - \frac{\partial}{\partial y} \left( \rho v_j \frac{e}{\rho} \right) - \frac{\partial}{\partial z} \left( \rho w_k \frac{e}{\rho} \right) + \rho P_i - \rho P_j - \rho P_k + \rho F_i - \rho F_j - \rho F_k \]

\[ M = \frac{m_3}{m_1} \]

In completing a CFD analysis of the entire domain of the geometry, it is necessary to set up the governing equations. The governing equations could be solved with the aid of the following assumptions:

1. The flow is steady state.
2. The working fluid is air.
3. The flow is turbulent and compressible.
4. The ejector is at horizontal plane.
5. The properties of flow are constant.
6. The body forces are neglected.
7. Effect of heat transfer is neglected.
8. Fully developed region at the inlet part.

**Boundary conditions:**

1- Nozzle inlet

Flow at the nozzle inlet upstream of the step is considered to be isothermal, hydrodynamically steady and fully developed with a distribution for the streamwise inlet pressure at values 1, 1.5, 2, 2.5, 3, 3.5, 4, 4.5, 5 and 5.5 bar.

Wall: no slip velocity, constant temperature

\[ k_{in} = C_k \frac{w_{in}^2}{\rho \mu} \]

\[ e_{in} = C_e \frac{k_{in}^{3/2}}{0.5 D_h C_k} \]

Where \( C_k \) & \( C_e \) are constants (\( C_k=0.003 \) & \( C_e=0.03 \) \[8\]).

\( D_h \): Hydraulic diameter

2- Outlet: The outlet pressure is zero. and outflow condition and fully developed conditions at the diffuser exit.

\[ \frac{\partial u}{\partial x} = \frac{\partial v}{\partial x} = \frac{\partial k}{\partial x} = \frac{\partial e}{\partial x} = 0 \]

**4-Results & Discussion**

This section includes details of computational results for the two dimensional,
To increase understanding of the axial velocity distribution in an important regions along the ejector, the three regions are chosen at major proportion of structure. First plane at the inlet (line-in) region (1&3), second plane at the nozzle exit, region(2) while the third plane at the midpoint of the throat (line -2) region (4).

Fig.(6) shows the plot of velocity magnitude distribution along these three different planes at low diameter ratio 1/8 (case 1). At the midpoint of throat plane, region(4) (line -2) results show that the uniform profile of the velocity and maximum flow velocity reached to 500 m/s due to high diameter ratio which increased axial velocity at the nozzle exit and turbulent velocity profile has been created and the two streams combined into this section to create high velocity value, reached 500m/s.

Low velocity appears at the nozzle inlet(1) compare to the suction inlet (3). The results show the existence of a significant increase in velocity at the center of the nozzle exit (2) due to the diameter ratio.

At the inlet regain(1&3) (line in), results indicate two different velocity values. At the inlet part parabolic distribution appear as a fully developed region while at the suction part the centrifuge interpose to great high velocity value near the inner wall (max velocity reach 400 m/s) (line-in). Also at the nozzle plane (2) results indicate two different velocity values. Maximum value appear at the nozzle neck, while reduces at the suction diameter.

Fig (7) presents the plot of velocity magnitude a cross three planes and constant diameter ratio is ( 0.25 ) case 2. At the inlet regain(1&3) (line-in), results indicate two different velocity values. The first part parabolic distribution appear as a fully developed region while at the suction part (3) the centrifuge interpose to great high velocity value near the inner wall as presented in Fig.6 (max velocity reach 500 m/s).Also at the nozzle plane results indicate two different velocity values. Maximum value appear at the nozzle neck, while reduces at the suction diameter. Finally at the least part (line-2) the
two streams combined into this section to great high velocity value reached 680m/s.

Figs.(8),(9) and(10) show the velocity magnitude value at cases (DN/DT)3/8, 5/8 and 7/8 respectively. Results show the axial flow through the nozzle increased with increasing the diameter ratio at all planes and high effect of turbulence flow at these cases. Maximum flow through nozzle plane reached 1200 m/s. At case(5) DN/DT 5/8 indicates the high jet performance due to increase into the suction flow (3), while the parabolic profile is appeared at the plane (1) due to increase into the flow velocity.

Fig.(11) presents velocity magnitude distribution at case (8) DN/DT=8/8. At the nozzle diameter increased, the velocity profile is formed as parabolic from case 5 reached to uniform profile at case 8. Results present turbulent velocity profile at uniform tube into the fully developed region, due to the different reasons.1-turbulent velocity distribution curve appears at nozzle plane . 2- Both nozzle and outlet plane (line -2) reached equal maximum velocity.3- The inlet plane at nozzle part presents the maximum value than other cases.

5-Conclusions:
The most important conclusions that can be drawn from the present study are as the following:

1- At increase the nozzle diameter ratio suction flow also increased until to diameter ratio reach 8/8 as shown in Fig.(11).
2- The head ratio at low initial pressure (less than 2 bar) have inverse behavior when the inlet pressure will be high (great than 3 bar)
3- The jet – ejector selected in this research have cutting in mass ratio at nozzle to throat diameter ratio reaches to 0.8 as shown in Fig.(2)
4- The greater mass ratio occurs when the nozzle to throat diameter ratio was 0.125,case (1) due to high jet velocity at nozzle exit and the increased the suction at the motive fluid (m3).

5- The higher pressure ratio occurs when the nozzle to throat diameter ratio was 0.625,case (5).

6-References
[7] Igor J. Karassik, Joseph P. Messina, Paul Cooper and Charles C. Heald "pump handbook" third edition,
Figure 1 The ejector geometry with the important dimensions.

Table 1 the options of jet – ejector are using in this research

<table>
<thead>
<tr>
<th>Symbol</th>
<th>$D_T$</th>
<th>$S$</th>
<th>$D_1$</th>
<th>$R$</th>
<th>$X$</th>
<th>$L$</th>
<th>$L_s$</th>
<th>$D_o/D_T$</th>
<th>$\theta$</th>
<th>$\alpha$</th>
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<td>Value</td>
<td>6.98 mm</td>
<td>15$D_T$</td>
<td>$12D_T$</td>
<td>4.5$D_T$</td>
<td>2.25$D_T$</td>
<td>From 1/8 to 8/8</td>
<td>$5^\circ$</td>
<td>$28^\circ$</td>
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Figure 2 The ejector performance with different initial pressure and diameter ratio
Figure 3: The effect of the initial pressure on the mass ratio with different diameter ratio.

Figure 4: The effect of the initial pressure on the mass ratio with different diameter ratio.
Figure 5 Fluid velocity vector contour at the suction chamber at constant initial pressure 1bar with different diameter ratio(eight cases)
Figure 6 Velocity magnitude distribution along three different positions along the ejector diameter: case 1 (D_N/D_T=1/8).

Figure 7 Velocity magnitude distribution along three different positions along the ejector diameter: case 2 (D_N/D_T=2/8).
Figure 8: Velocity magnitude distribution along three different positions along the ejector diameter: case 3 (D_N/D_T = 3/8).

Figure 9: Velocity magnitude distribution along three different positions along the ejector diameter: case 5 (D_N/D_T = 5/8).
Figure 10: Velocity magnitude distribution along three different positions along the ejector diameter: case 7 ($D_N/D_T=7/8$).

Figure 11: Velocity magnitude distribution along three different positions along the ejector diameter: case 8 ($D_N/D_T=8/8$).